Lecture 05: Feature Computation

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- The analog speech signal captures pressure variations in air that are produced by the speaker
 - The same function as the ear
- The analog speech input signal from the microphone is *sampled* periodically at some fixed *sampling rate*



- What remains after sampling is the value of the analog signal at *discrete time points*
- This is the discrete-time signal



- The analog speech signal has many *frequencies*
 - The human ear can perceive frequencies in the range 50Hz-15kHz (more if you're young)
- The information about what was spoken is carried in all these frequencies
- But most of it is in the 150Hz-5kHz range

- A signal that is digitized at *N* samples/sec can represent frequencies up to *N*/2 Hz only.
 - The Nyquist theorem
- A signal that is sampled at *N* samples per second must first be low-pass filtered at *N*/2 Hz to avoid distortions.
- Ideally, one would sample the speech signal at a sufficiently high rate to retain all perceivable components in the signal.
 - > 30kHz
- For practical reasons, lower sampling rates are often used, however
 - Save bandwidth / storage
 - Speed up computation

- Audio hardware typically supports several standard rates
 - *E.g.*: 8, 16, 11.025, or 44.1 KHz (*n* Hz = *n* samples/sec)
 - CD recording employs 44.1 KHz per channel high enough to represent most signals accurate.
- Speech recognition typically uses 8KHz sampling rate for telephone speech and 16KHz for wideband speech
 - Telephone data is *narrowband* and has frequencies only up to 4 KHz
 - Good microphones provide a *wideband* speech signal
 - 16KHz sampling can represent audio frequencies up to 8 KHz
 - This is considered sufficient for speech recognition

The Speech Signal: Digitization

- Each sampled value is *digitized* (or *quantized* or *encoded*) into one of a set of fixed discrete levels
 - Each analog voltage value is *mapped* to the nearest discrete level
 - Since there are a fixed number of discrete levels, the mapped values can be represented by a number; *e.g.* 8-bit, 12-bit or 16-bit
- Digitization can be *linear* (uniform) or *non-linear* (non-uniform)

The Speech Signal: Linear Coding

- Linear coding (also known as *pulse-code modulation* or PCM) splits the input analog range into some number of uniformly spaced levels.
- The no. of discrete levels determines no. of bits needed to represent a quantized signal value; *e.g.*:
 - 4096 levels require 12-bit representation
 - 65536 levels require 16-bit representation
- In speech recognition, PCM data is typically represented using 16 bits

The Speech Signal: Linear Coding

- Example PCM quantizations into 16 and 64 levels:
- Since an entire analog range is mapped to a single value, quantization leads to *quantization error*
 - Average error can be reduced by increasing the number of discrete levels



The Speech Signal: Non-Linear Coding



- Converts non-uniform segments of the analog axis to uniform segments of the quantized axis
 - Spacing between adjacent segments on the analog axis is chosen based on the relative frequencies of sample values in that region
 - Sample regions of high frequency are more finely quantized



The Speech Signal: Non-Linear Coding

- Thus, fewer discrete levels can be used, without significantly worsening *average* quantization error
 - High resolution coding around the most probable analog levels
 - Thus, most frequently encountered analog levels have lower quantization error
 - Lower resolution coding around low probability analog levels
 - Encodings with higher quantization error occur less frequently
- A-law and μ-law encoding schemes use only 256 levels (8-bit encodings)
 - Widely used in telephony
 - Can be converted to linear PCM values via standard tables

Effect of Signal Quality

- The quality of the final digitized signal depends critically on all the other components:
 - The microphone quality
 - Environmental quality the microphone picks up not just the subject's speech, but all other ambient noise
 - The electronics performing sampling and digitization
 - Poor quality electronics can severely degrade signal quality
 - *E.g.* Disk or memory bus activity can inject noise into the analog circuitry
 - Proper setting of the recording level
 - Too low a level underutilizes the available signal range, increasing susceptibility to noise
 - Too high a level can cause *clipping*
- Suboptimal signal quality can affect recognition accuracy to the point of being completely useless

Digression: Clipping in Speech Signals

- Clipping is a kind of signal distortion.
- The amplitude of a clipped signal is limited by some threshold(s).
- On oscillograms, clipping usually appears as a cutoff of signal amplitude.
- Clipping can be single-sided (only the top or only the bottom of the signal is cut) and double-sided.
- Clipping and non-linear distortion are the most common and most easily fixed problems in audio recording

 - Simply reduce the signal gain

Sound Characteristics are in Frequency Patterns

- Figures below show energy at various frequencies in a signal as a function of time
 - Called a spectrogram



- Different instances of a sound will have the same generic spectral structure
- Features must capture this spectral structure

Computing "Features"

- Features must be computed that capture the *spectral* characteristics of the signal
- Important to capture only the *salient* spectral characteristics of the sounds
 - Without capturing speaker-specific or other incidental structure
- The most commonly used feature is the *Mel-frequency cepstrum*
 - Compute the spectrogram of the signal
 - Derive a set of numbers that capture only the salient aspects of this spectrogram
 - Salient aspects computed according to the manner in which humans perceive sounds
- A **cepstrum** is the result of taking the inverse Fourier transform of the logarithm of the estimated spectrum of a signal.

Capturing the Spectrum: The discrete Fourier transform

- Transform analysis: Decompose a sequence of numbers into a weighted sum of other time series
- The component time series must be defined
 - For the Fourier Transform, these are complex exponentials
- The analysis determines the weights of the component time series



The complex exponential

- The complex exponential is a complex sum of two sinusoids $e^{j\theta} = \cos\theta + j\,\sin\theta$
- The real part is a cosine function
- The imaginary part is a sine function
- A complex exponential time series is a complex sum of two time series $e^{j\omega t} = \cos(\omega t) + j \sin(\omega t)$
- Two complex exponentials of different frequencies are "orthogonal" to each other. i.e. 🔊









- The discrete Fourier transform of the above signal actually computes the Fourier spectrum of the periodic signal shown below
 - Which extends from –infinity to +infinity
 - The period of this signal is 31 samples in this example



- Discrete Fourier transform coefficients are generally complex
 - $e^{j\theta}$ has a real part $cos\theta$ and an imaginary part $sin\theta$

 $e^{j\theta} = \cos\theta + j\sin\theta$

• As a result, every X[k] has the form

 $X[k] = X_{real}[k] + jX_{imaginary}[k]$

• A magnitude spectrum represents only the magnitude of the Fourier coefficients

 $X_{magnitude}[k] = sqrt(X_{real}[k]^2 + X_{imag}[k]^2)$

- A power spectrum is the square of the magnitude spectrum $X_{power}[k] = X_{real}[k]^2 + X_{imag}[k]^2$
- For speech recognition, we usually use the magnitude or power spectrum

- A discrete Fourier transform of an M-point sequence will only compute M unique frequency components
 - i.e. the DFT of an M point sequence will have M points
 - The M-point DFT represents frequencies in the continuous-time signal that was digitized to obtain the digital signal
- The Oth point in the DFT represents OHz, or the DC component of the signal
- The (M-1)th point in the DFT represents (M-1)/M * the sampling frequency
- All DFT points are uniformly spaced on the frequency axis between 0 and the sampling frequency

• A 50 point segment of a decaying sine wave sampled at 8000 Hz



• The corresponding 50 point magnitude DFT. The 51st point (shown in red) is identical to the 1st point.





• The DFT of one period of the sinusoid shown in the figure computes the Fourier series of the entire sinusoid from –infinity to +infinity



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- The DFT of *any* sequence computes the Fourier series for an infinite repetition of that sequence
- The DFT of a partial segment of a sinusoid computes the Fourier series of an inifinite repetition of that segment, and not of the entire sinusoid
- This will not give us the DFT of the sinusoid itself!







- The difference occurs due to two reasons:
- The transform cannot know what the signal actually looks like outside the observed window
 - We must infer what happens outside the observed window from what happens inside

Windowing



- The difference occurs due to two reasons:
- The transform cannot know what the signal actually looks like outside the observed window
 - We must infer what happens outside the observed window from what happens inside
- The implicit repetition of the observed signal introduces large discontinuities at the points of repetition
 - This distorts even our measurement of what happens at the boundaries of what has been reliably observed
 - The actual signal (whatever it is) is unlikely to have such discontinuities



- While we can never know what the signal looks like outside the window, we can try to minimize the discontinuities at the boundaries
- We do this by multiplying the signal with a *window* function
 - We call this procedure windowing
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- Windowing attempts to do the following:
 - Keep the windowed signal similar to the original in the central regions
 - Reduce or eliminate the discontinuities in the implicit periodic signal





- The DFT of the windowed signal does not have any artefacts introduced by discontinuities in the signal
- Often it is also a more faithful reproduction of the DFT of the complete signal whose segment we have analyzed





- Windowing is not a perfect solution
 - The original (unwindowed) segment is identical to the original (complete) signal within the segment
 - The windowed segment is often not identical to the complete signal anywhere
- Several windowing functions have been proposed that strike different tradeoffs between the fidelity in the central regions and the smoothing at the boundaries



- Cosine windows:
 - Window length is M
 - Index begins at 0
- Hamming: $w[n] = 0.54 0.46 \cos(2\pi n/M)$
- Hanning: $w[n] = 0.5 0.5 \cos(2\pi n/M)$
- Blackman: $w[n] = 0.42 0.5 \cos(2\pi n/M) + 0.08 \cos(4\pi n/M)$



- Geometric windows:
 - Rectangular (boxcar):
 - Triangular (Bartlett):



- Trapezoid:

Zero Padding



- We can pad zeros to the end of a signal to make it a desired length
 - Useful if the FFT (or any other algorithm we use) requires signals of a specified length
- The consequence of zero padding is to change the periodic signal whose Fourier spectrum is being computed by the DFT

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Zero Padding



- The DFT of the zero padded signal is essentially the same as the DFT of the unpadded signal, with additional spectral samples inserted in between
 - It does not contain any additional information over the original DFT
 - It also does not contain less information

20 30 40 50 60 70 80 90 100 40 50 60 70 30 80 90 100

20 30 40 50 60 70 80 90 100

0.8 -0.6 -0.4 -0.2 -

-0.2

0 10

0.8 -

-0.2 -0.4 -0.6 -0.8

0 10 20

0.8 0.6 0.4 0.2

> -0.2 -0.4 -0.6

> > 0 10



Magnitude spectra

Zero padding a speech signal

128 samples from a speech signal sampled at 16000 Hz



The first 65 points of a 128 point DFT. Plot shows log of the magnitude spectrum



Pre-emphasizing a speech signal

- The spectrum of the speech signal naturally has lower energy at higher frequencies
- This can be observed as a downward trend on a plot of the logarithm of the magnitude spectrum of the signal
- For many applications this can be undesirable
 - E.g. Linear predictive modeling of the spectrum







Pre-emphasizing a speech signal

- This spectral tilt can be corrected by preemphasizing the signal
 - $s_{preemp}[n] = s[n] \alpha * s[n-1]$
 - Typical value of α = 0.95
- This is a form of differentiation that boosts high frequencies
- This spectrum of the preemphasized signal has a more horizontal trend
 - Good for linear prediction and other similar methods



Log(average(magnitude spectrum))





The signal is processed in segments. Segments are typically 25 ms wide.



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Final Project



Final Project

- Team members from 3 (Min) to 5 (Max).
- Submit the names and short proposal (1 page) by 28 March (Deadline).
- The final project should have a short printed report at max 5 pages + Code.
- Prepare short presentation (5-10 slides) for max 10 minutes for all the team members.
- The short report should contains the following (Must):
 - 1. Abstract
 - 2. Short Introduction (Max 1 page)
 - 3. Framework diagram
 - 4. Problem statement
 - 5. Objectives
 - 6. The proposed System (Max 2 page)
 - 7. Conclusion
 - 8. References and citations along the text.

<u>Note:</u> try to avoid copy and paste as much as you can in the report code as well.

Final Project

- Topics:
 - **1.** Speech Recognition for English language (at least 10 different words).
 - 2. Speech Recognition for Arabic language (at least 10 different words).
 - 3. Speech Recognition for English alphabets.
 - 4. Speech Recognition for Arabic alphabets.
 - 5. Speaker Verification and Identification English (at least 3 different speakers).
 - 6. Speaker Verification and Identification Arabic (at least 3 different speakers).
 - 7. Implement speech chatbot.
 - 8. Voice Control System for Smart Home.